Nový Pomocník z matematiky

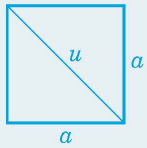
Orbis Pictus Istropolitana

Obvod a obsah rovinných útvarov

Štvorec

$o = 4 \cdot a$

$S = a^2 = \frac{u^2}{2}$

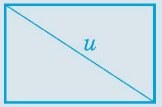


$u = a\sqrt{2}$

Obdĺžnik

$o = 2(a + b)$

$S = a \cdot b$

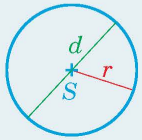


$u = \sqrt{a^2 + b^2}$

Kruh

$o = 2\pi r = \pi d$

$S = \pi r^2 = \frac{\pi d^2}{4}$

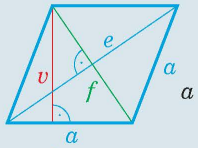


$d = 2 \cdot r$

Kosoštvorec

$o = 4 \cdot a$

$S = a \cdot v = \frac{e \cdot f}{2}$

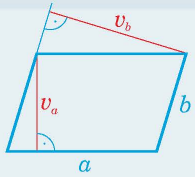


$a = \frac{1}{2}\sqrt{e^2 + f^2}$

Kosodĺžnik

$o = 2(a + b)$

$S = a \cdot v_a = b \cdot v_b$

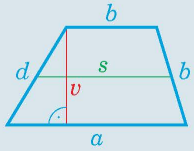


$a : b = v_b : v_a$

Lichobežník

$o = a + b + c + d$

$S = v \cdot \frac{a + c}{2}$



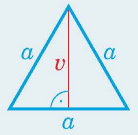
$s = \frac{a + c}{2}$

Rovnostranný trojuholník

$o = 3 \cdot a$

$S = a^2 \cdot \frac{\sqrt{3}}{4}$

$v = a \cdot \frac{\sqrt{3}}{2}$

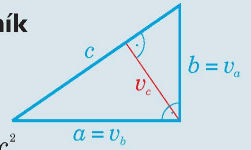


Pravouhlý trojuholník

$o = a + b + c$

$S = \frac{a \cdot b}{2} = \frac{c \cdot v_c}{2}$

Pytagorova veta: $a^2 + b^2 = c^2$



Všeobecný trojuholník

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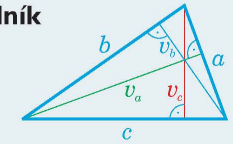

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Orbis Pictus Istropolitana

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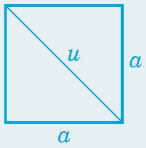

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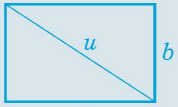

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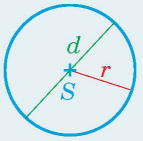

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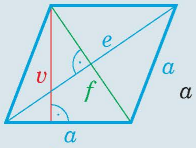

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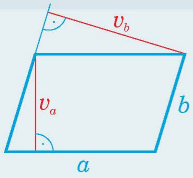

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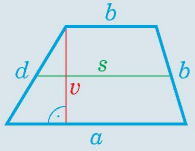

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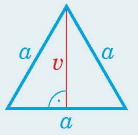

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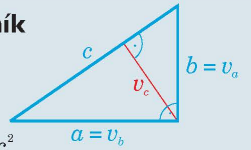

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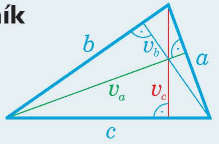


Nový Pohľadník z matematiky

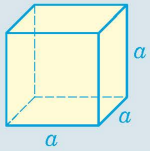
www.orbispictus.sk

Objem a povrch telies

Kocka

$V = a^3$

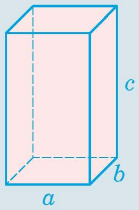
$S = 6 \cdot a^2$



Kváder

$V = a \cdot b \cdot c$

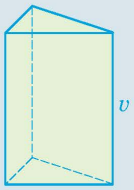
$S = 2 \cdot S_p + S_{pl} =$
$= 2(ab + bc + ac)$



Hranol

$V = S_p \cdot v$

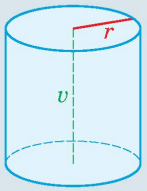
$S = 2 \cdot S_p + S_{pl}$



Valec

$V = S_p \cdot v = \pi r^2 v$

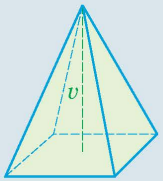
$S = S_{pl} + 2S_p =$
$= 2\pi rv + 2\pi r^2 =$
$= 2\pi r(v + r)$



Ihlan

$V = \frac{1}{3} S_p \cdot v$

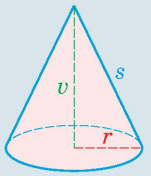
$S = S_{pl} + S_p$



Kužeľ

$V = \frac{1}{3} S_p \cdot v = \frac{1}{3} \pi r^2 v$

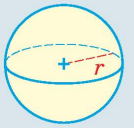
$S = S_{pl} + S_p =$
$= \pi rs + \pi r^2 =$
$= \pi r(s + r)$



Guľa

$V = \frac{4}{3} \pi r^3$

$S = 4\pi r^2$



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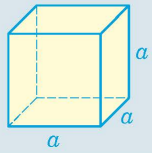

Kváder

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$S = 2 \cdot S_p + S_{pl} =$
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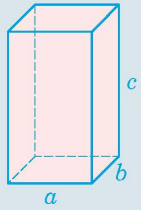

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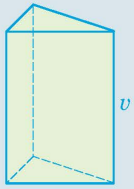

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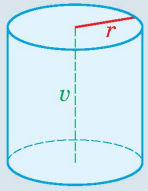
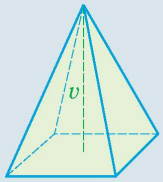


Ihlan

$V = \frac{1}{3} S_p \cdot v$

$S = S_{pl} + S_p$



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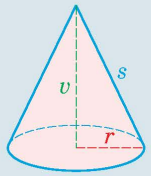

Guľa

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